

# The Legacy of $\sin^2\theta_{\text{eff}}^{\text{lept}}$

Richard Kellogg - (presented by Pippa Wells) - Budapest 2001

- The measurements of asymmetries and polarizations at LEP and SLC tell us about the parity structure of the Z couplings
- The essential quantity is the *coupling parameter*, which can be expressed in terms of the vector and axial couplings,  $g_v$  and  $g_a$

$$A_f = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2}$$

All the interesting observables can be expressed simply in terms of the coupling parameters

- The forward-backward charge asymmetry:

$$A_{\text{FB}}^{0,f} \equiv \frac{3}{4} \mathcal{A}_e \mathcal{A}_f$$

- The left-right interaction asymmetry for polarized beams:

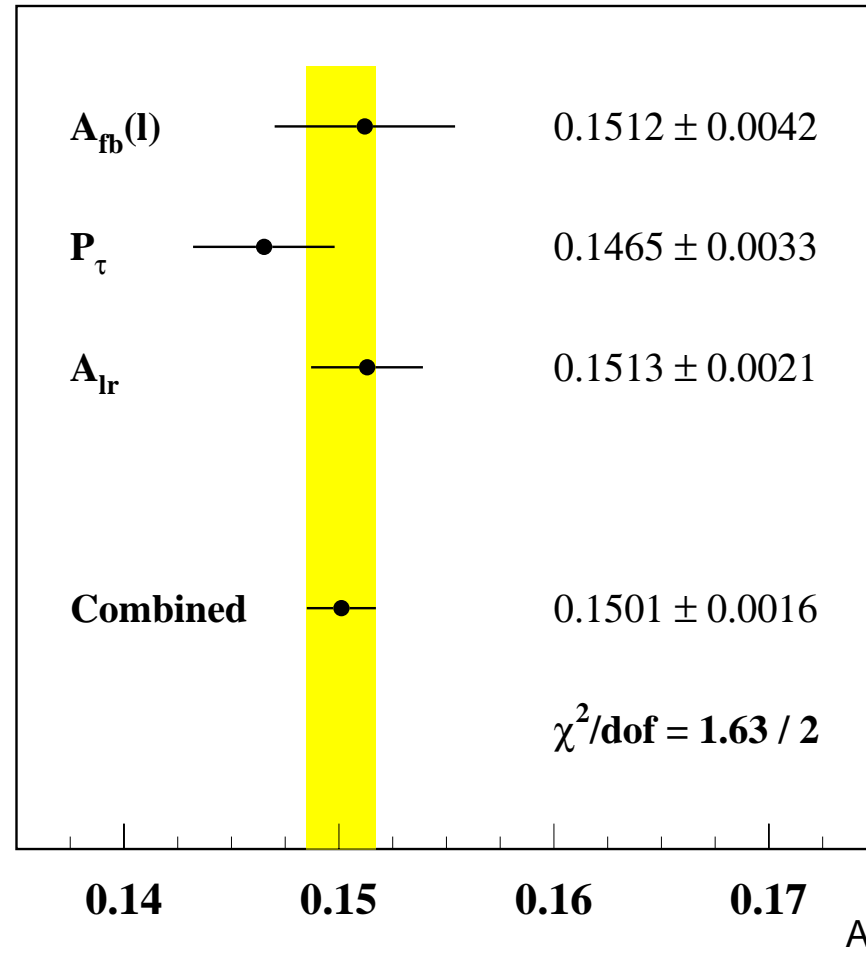
$$A_{\text{LR}}^0 \equiv \mathcal{A}_e$$

- The average tau polarization:

$$\langle \mathcal{P}_\tau \rangle = -\mathcal{A}_\tau$$

- The leptonic coupling parameter,  $A_1$ , can be measured quite independently of any model assumptions, in a number of ways
- All consistent
- Lepton universal

Leptonic Coupling Parameter - LEP/SLD Combined Results



- How about quarks?

§  $A_{\text{FBLR}}(b)$ , the forward-backward left-right asymmetry for b-quarks measured by SLD gives a direct measurement of  $A_b$

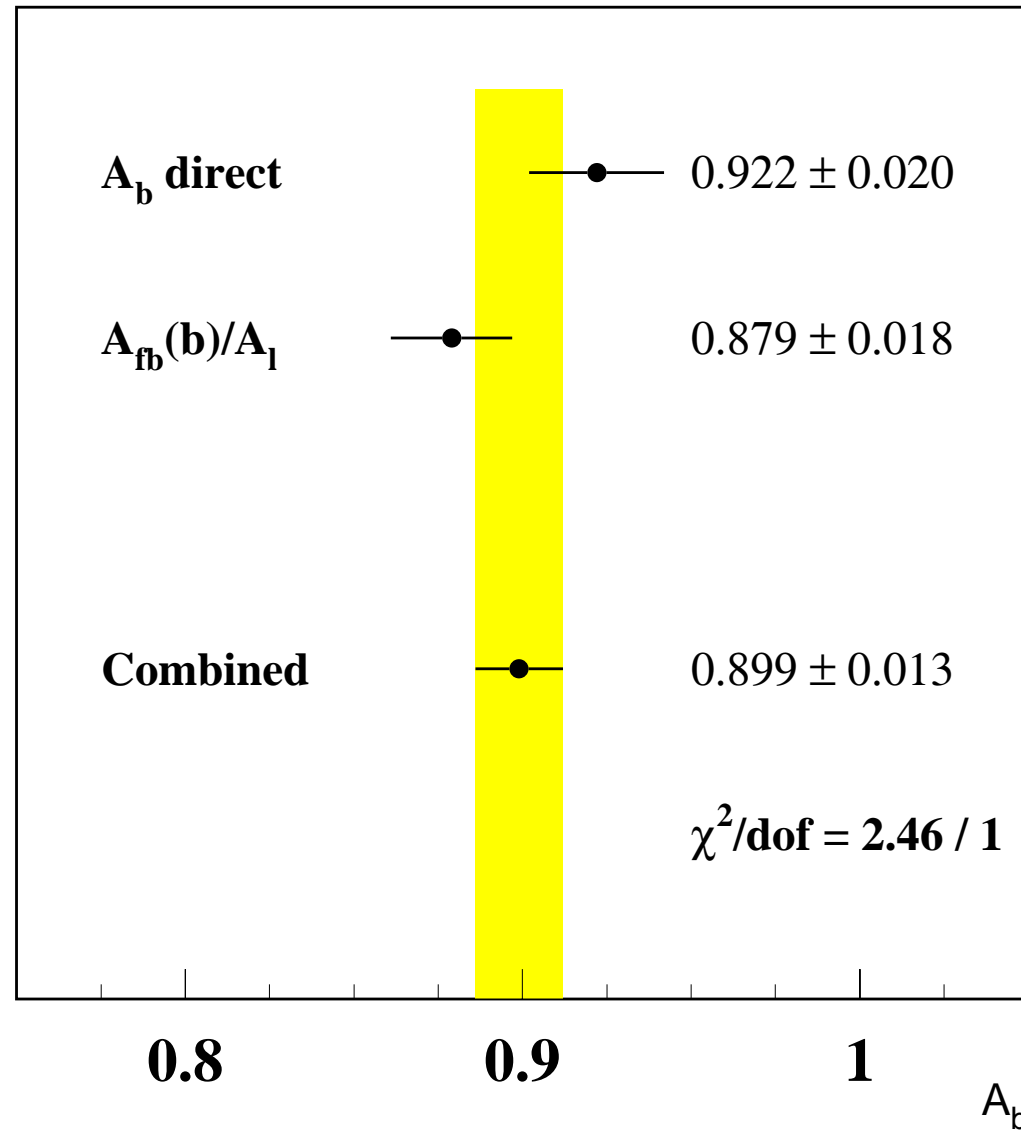
$$A_{\text{FBLR}} = A_{\text{LR}}(F) - A_{\text{LR}}(B) = \frac{3}{4} \mathcal{A}_f$$

§  $A_{\text{fb}}(b)$ , the forward-backward asymmetry for b-quarks measured at LEP, gives the product of  $A_1$  and  $A_b$  - combined with  $A_1$ , this yields an indirect measurement of  $A_b$ .

$$A_{\text{FB}}^{0,f} \equiv \frac{3}{4} \mathcal{A}_e \mathcal{A}_f$$

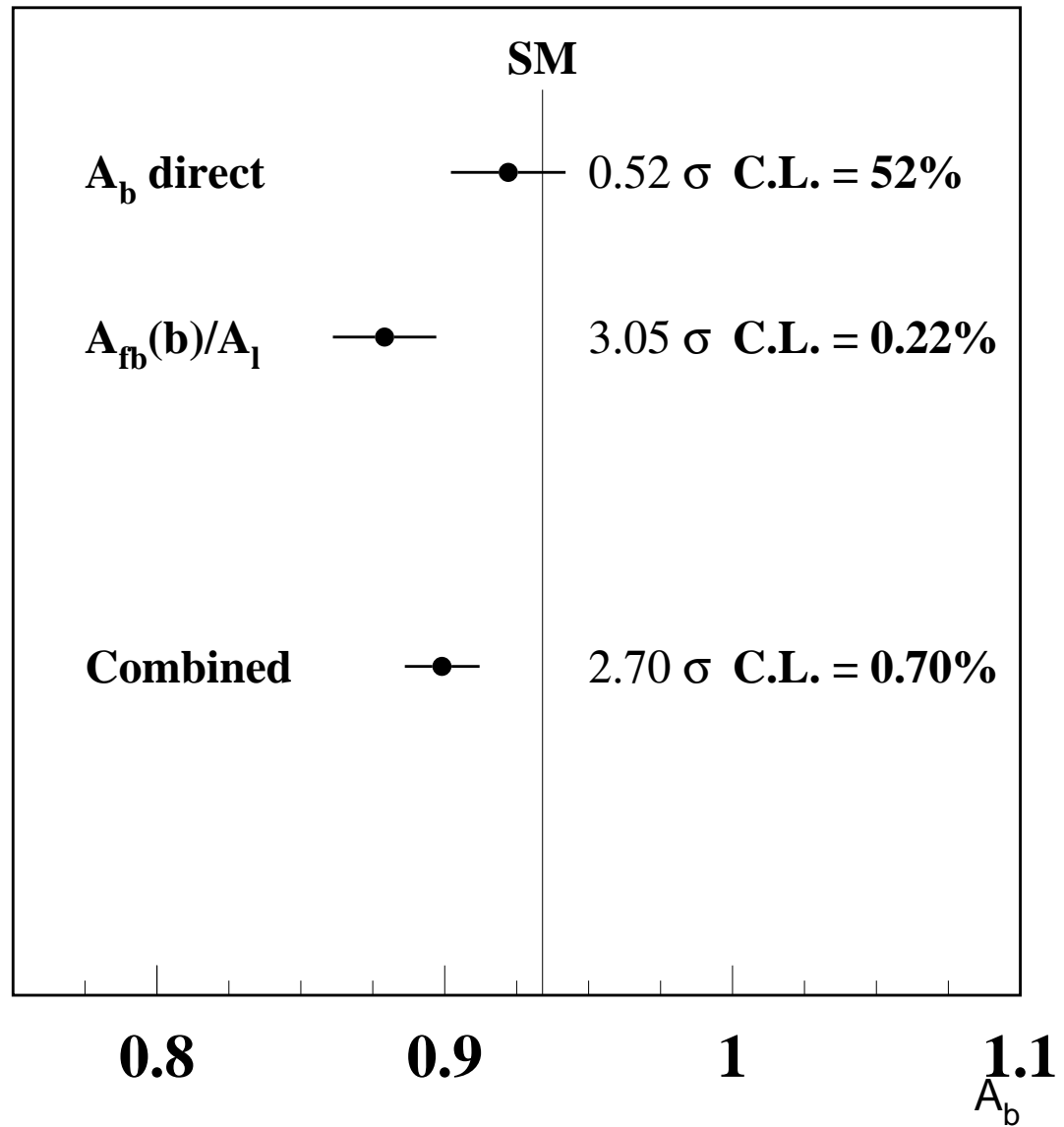
- The two measurements are reasonably compatible with each other
- C.L. = 11%

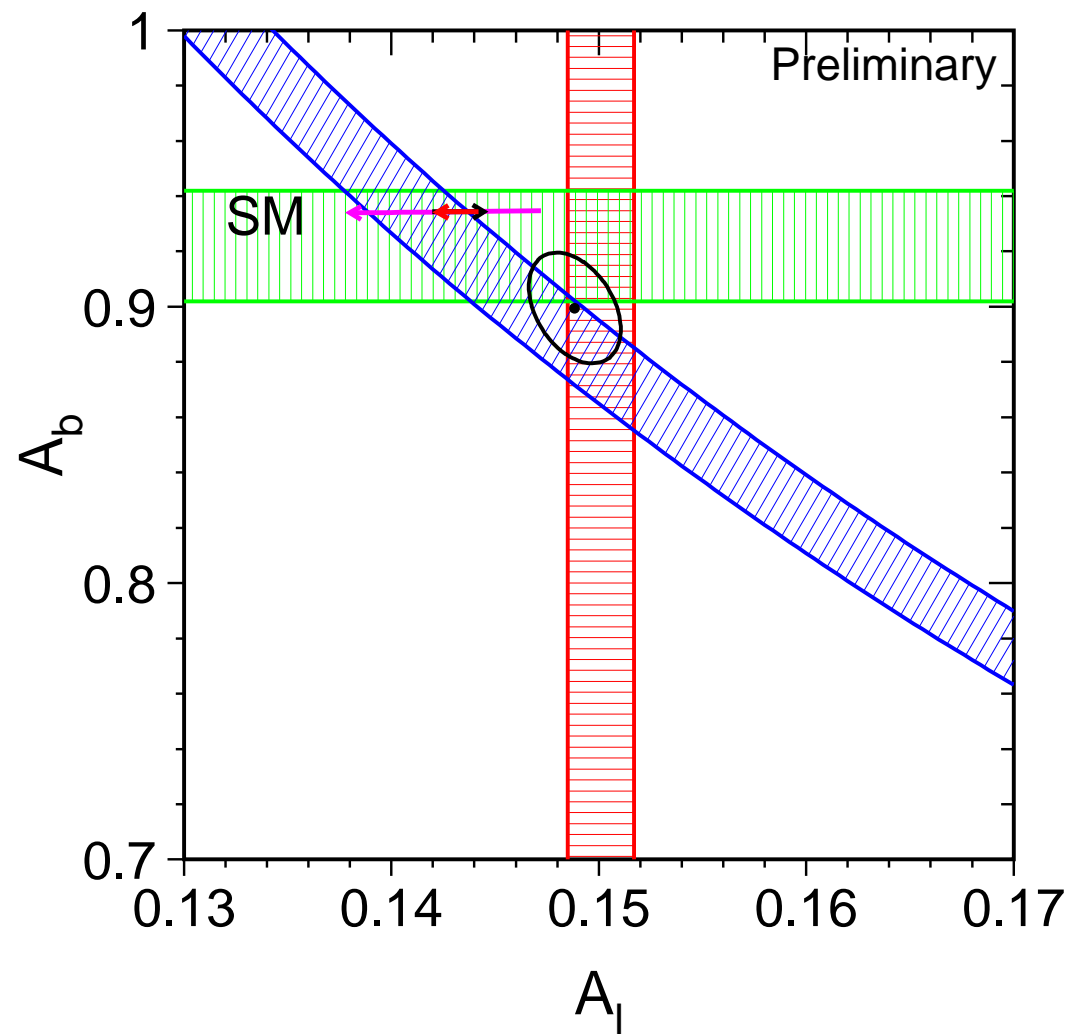
b-quark Coupling Parameter - LEP/SLD Combined Results



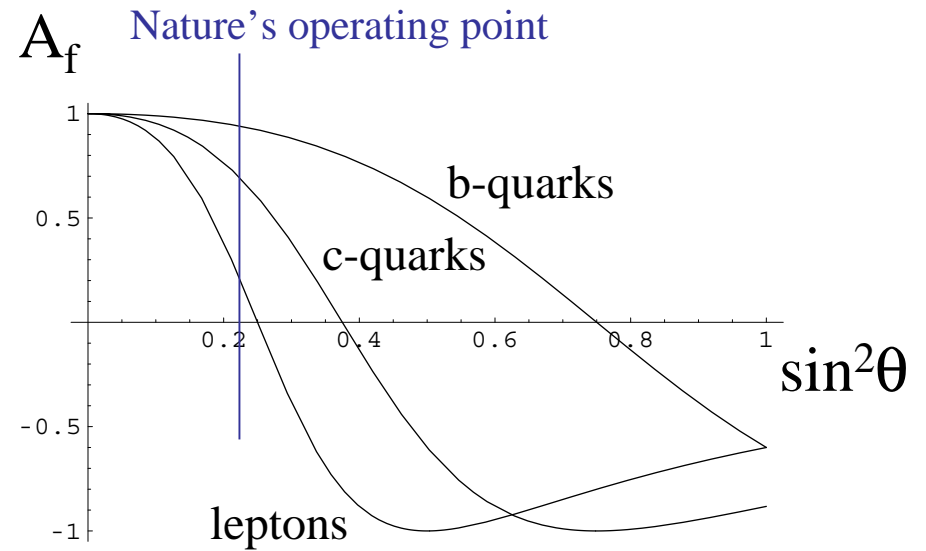
- But less compatible with the Standard Model
- C.L. = 0.7%

b-quark Coupling Parameter - LEP/SLD Combined Results





- Due to the charge and weak iso-spin assignments of b-quarks (-1/3, -1/2)  $A_b$  is particularly insensitive to  $\sin^2\theta$  at nature's operating point



- $A_b$  is essentially a *root level* prediction of the SM

$$g_V^{\text{eff}} = \sqrt{\bar{\rho}}(T^3 - 2Q \sin^2 \theta_{\text{eff}})$$

$$g_A^{\text{eff}} = \sqrt{\bar{\rho}}T^3$$

$$A_f = \frac{2g_{Vf}g_{Af}}{g_{Vf}^2 + g_{Af}^2}$$



- Therefore, as soon as we assume the validity of the Standard Model:
  - Inter-fermion comparisons become possible in terms of  $\sin^2\theta$
  - Measurements of  $A_b$  become irrelevant (the SM knows better)
  - b-quark asymmetry measurements become measurements of  $A_1$  (and hence  $\sin^2\theta$ )

# Consequences:

- The direct SLD measurement of  $A_b$  (through  $A_{\text{FBRL}}$ ), which agrees with the SM, is simply ignored
- The indirect  $A_b$  measurement, through  $A_{\text{fb}}(b)$ , which disagrees strongly with the SM, becomes a measurement of  $A_1$  (and hence  $\sin^2\theta_1$ )
  - which now disagrees strongly with the direct  $\sin^2\theta_1$  measurement using leptons.

# The Notorious $\sin^2\theta$ Discrepancy

All six measurements individually:

$$\chi^2/\text{dof} = 12.8/5 \rightarrow \text{C.L.}=2.5\%$$

Grouping leptons against quarks:

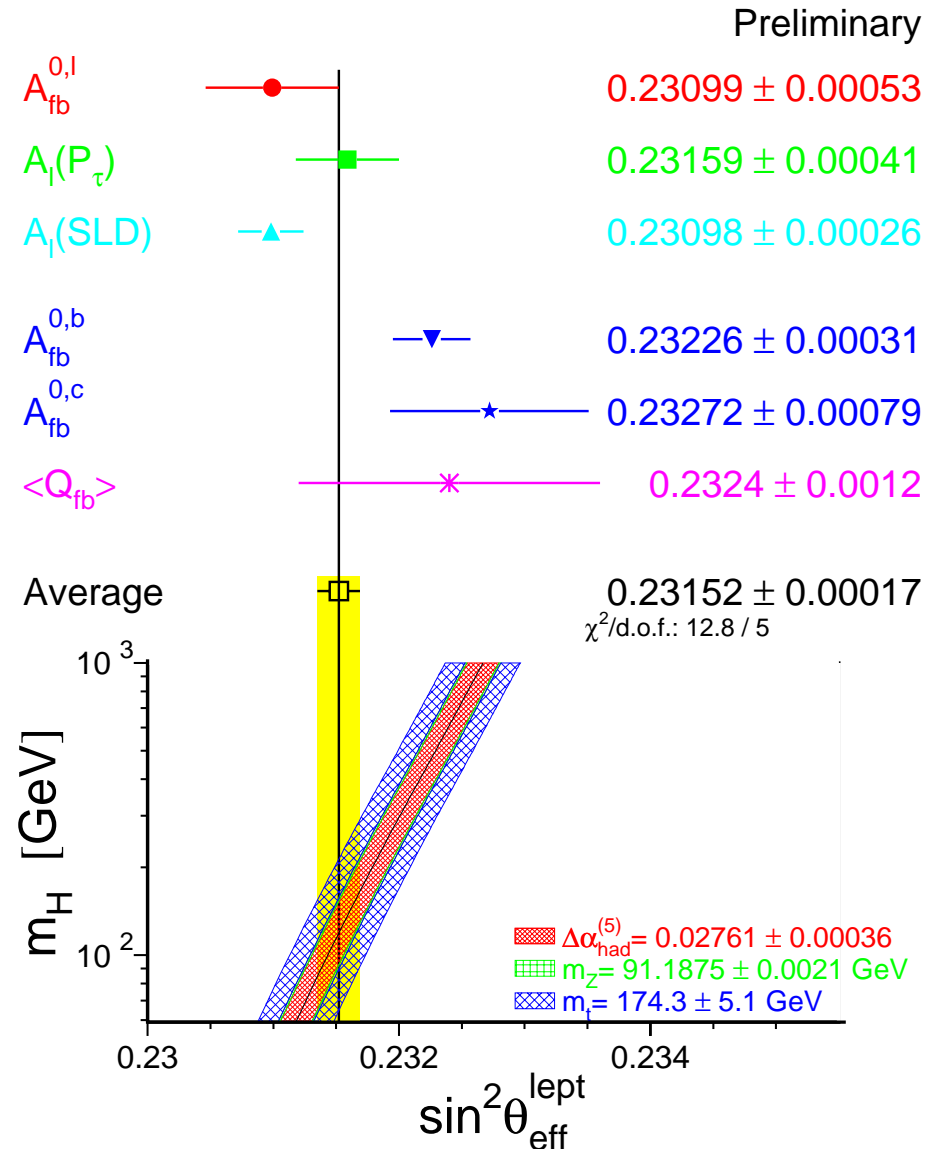
$$\chi^2/\text{dof} = 10.89/1 \rightarrow \text{C.L.}=0.1\%$$

Grouping leptons against  $A_{\text{fb}}(b)$ :

$$\chi^2/\text{dof} = 9.61/1 \rightarrow \text{C.L.}=0.2\%$$

Considering just the four most precise measurements:

$$\chi^2/\text{dof} = 10.9/3 \rightarrow \text{C.L.}=1.3\%$$



Averaging over this discrepancy does not represent a firm foundation for determining the SM parameters!

- We can use the full force of our measurements to expose a defect in the SM at root level.
- But for determining SM parameters, we must believe the SM is OK, and the discrepancy then appears as a disturbing measurement inconsistency.
  - Not a great base for investigating subtle electroweak radiative effects

- What is particularly disturbing is that the current (and historical) stance of the lepewwg is to simply average over the discrepancy
  - The final errors benefit just as fully from two precise measurements of  $\sin^2\Theta$  which are  $3\sigma$  apart as they would if the measurements agreed perfectly
  - $3\sigma$  basically doesn't happen in a gaussian world
  - Everyone, if pushed will admit that *no* error estimate is truly gaussian
  - Yet the only acceptable way to take an average is under the gaussian hypothesis

## What to do? - Opal should take a reasoned opinion

- Continue averaging?
  - But the PDG will never agree - the future will be left with no consensus on this important legacy measurement
- Further study?
  - But time and people are running out
- Determine errors from observed spread?
  - A scale factor of  $10.9/3 = 1.9$  seems reasonable
- Reject one of the measurements?
  - Better preserves precision, but sociologically difficult

# The Conclusion is up to YOU

- Opal has established an editorial board on the LEP-SLD Electroweak Combination paper (to be published in Physics Reports by the “end of the year”)
- All interested Opalists are encouraged to participate in the discussion
- See:

<http://opalinfo.cern.ch/opal/group/lineshape/drafts/kel-web/lineshape/physrep/physrep.html>